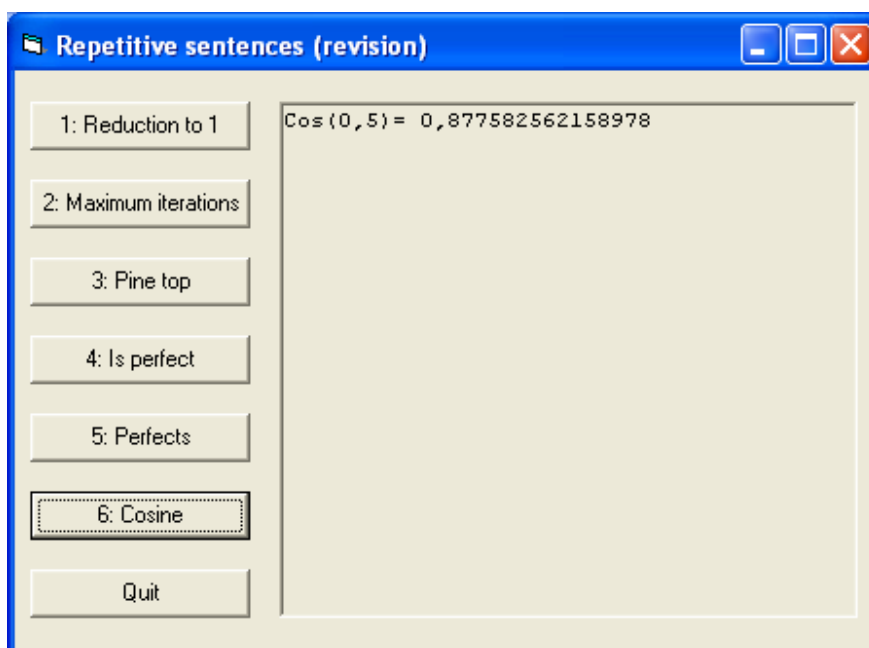


**Objectives:**

- ❖ To go deeply into the **design** of flowcharts with **repetitive structures**
- ❖ To go deeply into the **program coding** with **repetitive structures**

## Program to demonstrate the use of repetitive sentences

### Interface



**Figure 7.1** Objects present in the interface: command buttons and picture box

### Operation

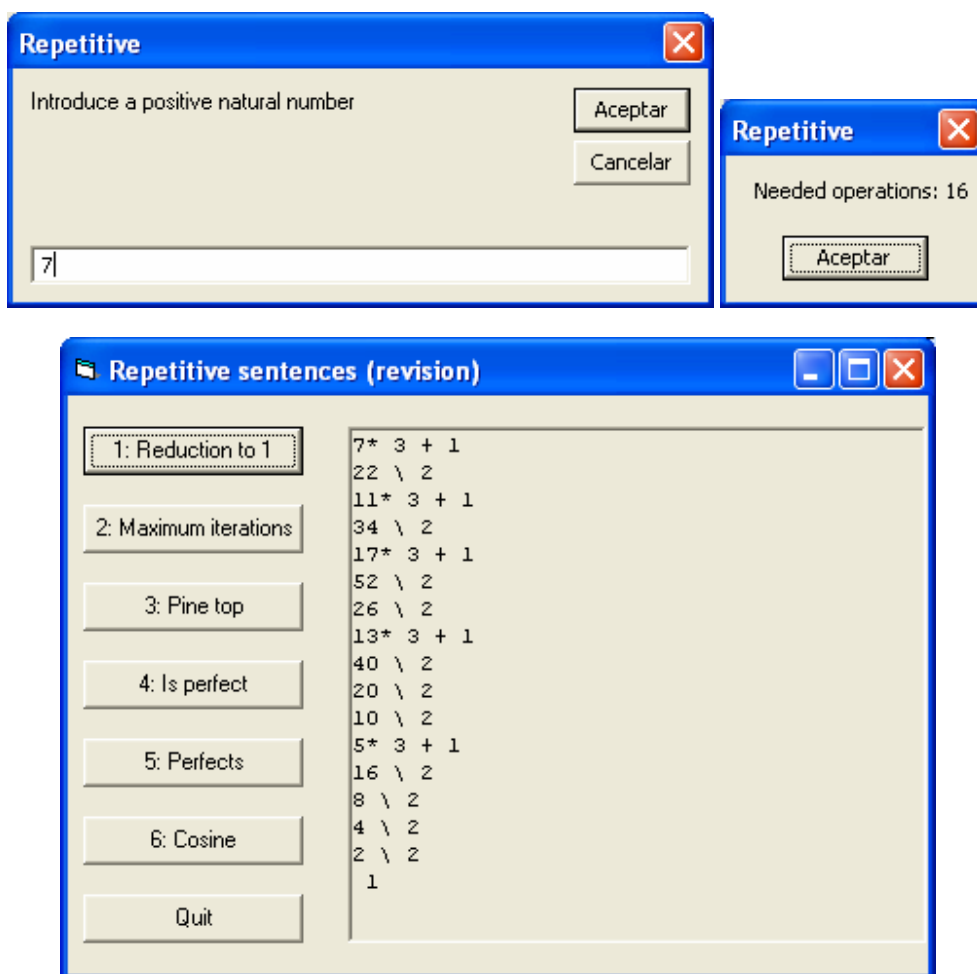
1. Each exercise has its own execution button (`cmdEx1`, `cmdEx2`, ..., `cmdEx6`).
2. To display the result we use a picture box, `pctRes`. For a better appreciation of the result the default font for the picture box must be "Courier New" size 8.
3. First thing after clicking one button will be removing the contents of the results picture box, `pctRes`. To do so we use the `cls` method (`pctRes.cls`).
4. When we click on the `Quit` button the program will finish.
5. An executable is provided to clarify the statements.

## Exercise 7.1: Reduction to one (partially solved)

### Enunciation

Starting from any positive number  $n$  and applying successively the **division by two** ( $n \text{ Div } 2$ ) when the number is **even** and the **multiplication by three and addition of 1** ( $n \cdot 3 + 1$ ) when the number is **odd** we reach number 1.

Design the **flowchart** and implement a program to read  $n$  and carry out these computations displaying at the picture box the operations carried out and showing at the end the number of iterations needed through a **MsgBox**. Note that after a given number of iterations there will be no space left at the picture box for more text.



Figur3 7.2 Example of reduction to 1 of number 7

### Flowchart

For this exercise we propose to obtain the flowchart after the VB code.

**Visual Basic code (resolution)**

```

Sub cmdEjl_Click()
    Dim s As String
    Dim n As Integer
    Dim i As Integer
    pctRes.Cls
    s = InputBox("Introduce a positive natural number")
    n = CInt(s)
    i = 0
    While n <> 1
        i = i + 1
        If n Mod 2 = 0 Then
            pctRes.Print CStr(n) & " \ 2"
            n = n \ 2
        Else
            pctRes.Print CStr(n) & "* 3 + 1"
            n = n * 3 + 1
        End If
    Wend
    pctRes.Print CStr(n)
    MsgBox "Needed operations: " & CStr(i)
End Sub

```

**Figure 7.3** VB code for the reduction to 1

1. **Design** the flowchart for the reduction to 1 program, partially solved.
2. **Design** the flowchart and **implement** the VB program to read a **top** number and verify which of the numbers from 1 to **top** require the **maximum** amount of **iterations** to reduce to 1 as in exercise 7.1.
3. **Design** the flowchart and **implement** the VB program to read a positive number **n** and draw the top of a pine tree of dimension **n**. Figure 7.4 shows some examples. Note: to prevent the new line to the Print order on a picture box you can add a semicolon (;) at the end of the text to write, e.g. `ptc1.Print "*" ;`

*	* ***	* * * * * * * * *	* * * * * * * * * * * * * * * * * * *
n = 1	n = 2	n = 3	n = 4

**Figure 7.4** Examples of pine tops of dimensions 1, 2, 3 and 4.

4. **Design** the flowchart and **implement** the VB program to read a positive number **n** and say if that number is **perfect**. A number **n** is called perfect when the sum of its divisors (except **n** itself) equals that number **n**. For example, 6 is perfect because  $1+2+3 = 6$ .
5. **Design** the flowchart and **implement** the VB program to read a **top** number and verify which numbers from 1 to **top** are **perfect**.
6. **Design** the flowchart and **implement** the VB program to read an **angle** in radians and calculate its **cosine** using Taylor series with an error (absolute value of the difference between two approximations) less than 0.000001.

$$\cos(x) = \sum_{i=0}^{\infty} (-1)^i \frac{x^{2i}}{(2i)!}$$

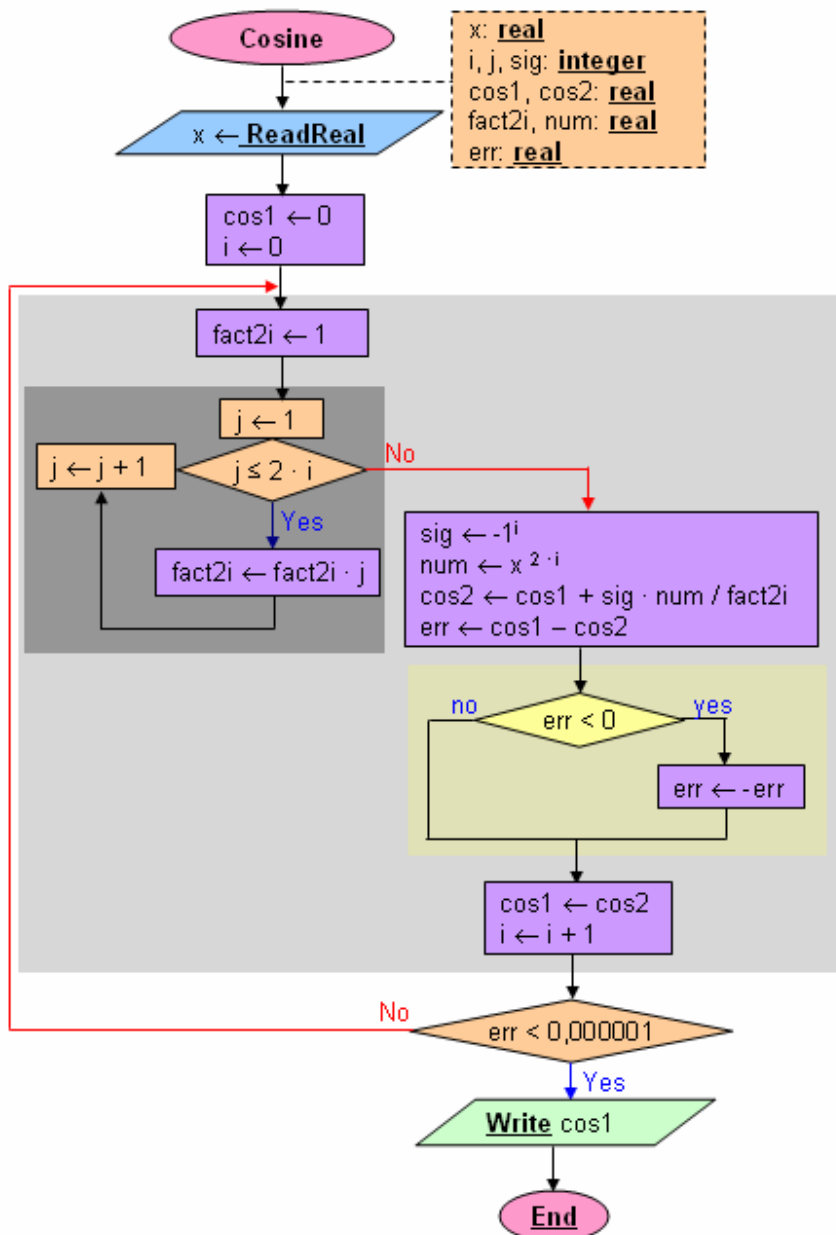
**Testing data**

Angle (radians)	Cosine
1,0	0,540302303791887
1,5	7,07372049851851E-02
2,0	-0,416146839638903

**Algorithm cosine (resolution)**

Figure 7.5 shows the flowchart of a possible resolution to the problem.

The type of variable **fact2i** is **real** to allow a better resolution because for a value of  $i=7$  an overflow occurs with integer values.



**Figure 7.5** Flowchart of the cosine calculation.